

# Superconducting Antenna Concept for Gravitational Wave Radiation

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# *Executive Summary*

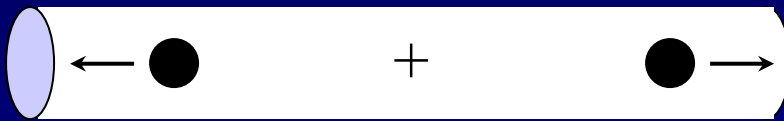
- A novel concept of superconducting GW antenna.
- Non-resonant, applicable to wide spectrum of sources.
- Highly sensitive:  $h_0 \sim 10^{-26}$  at  $10^2$  Hz;  $h_0 \sim 10^{-23}$  at  $10^2$  mHz.
- Moderate volume: 10 m lateral size.
- Passive cooling below critical temperature of superconducting components far from the Sun.
- Very little energy consumption at operation.
- Easy to orient.
- Virtually unrestricted operational time.

# Starting Point

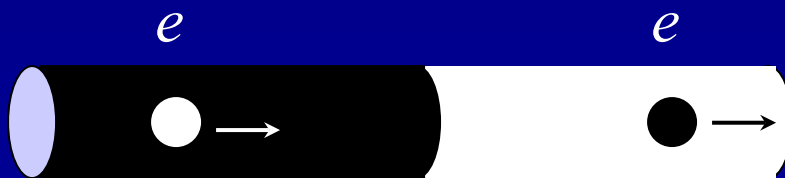


$$\Delta L = L h_0 \sin \omega t$$

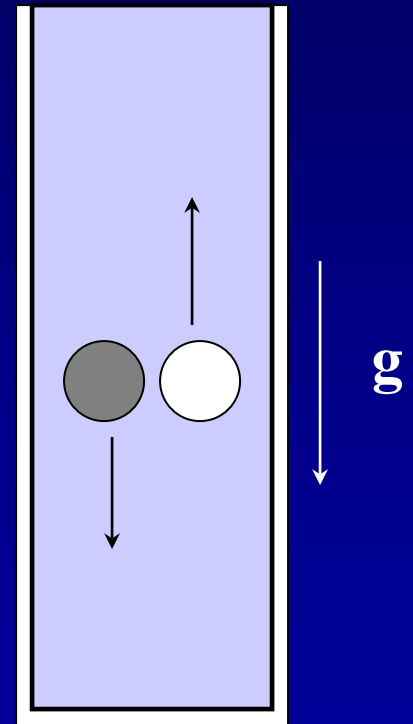
Next step: metallic bar



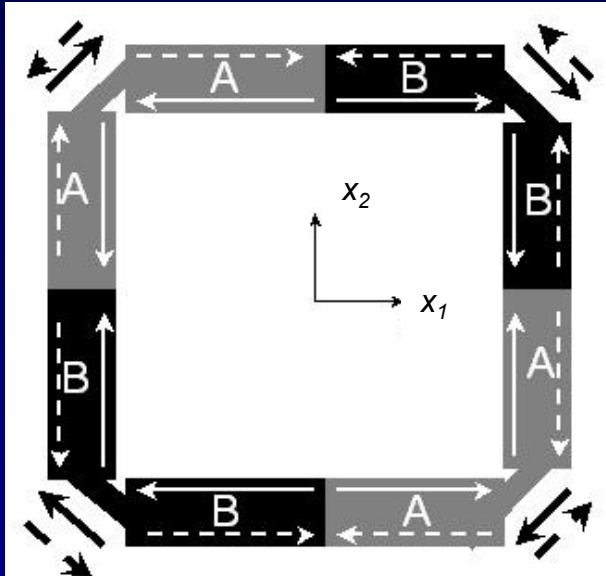
Tidal force tends to accelerate back and forth from CG.  
Exchange interaction prohibits ionic motion.  
Coulomb interaction prohibits electronic motion.



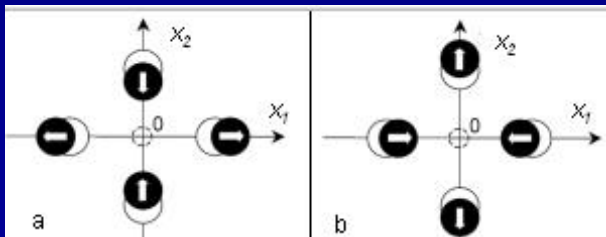
Bimetallic bar, negative  $m_{\text{eff}}$



# Next Step: Closing Current Trajectory



This design breaks Coulomb blockade: during two half-periods electrons will now move clockwise and counter-clockwise



Why superconductivity?

# *Why Superconductivity*

Motion of electrons in semiconductors and normal metals, though sometimes called “free”, is Aristotelian:

it persists while the force is acting. Ohms law:  $j \sim v \sim eE \sim F$ ,  
 $v \sim F$ , *i.e.*, velocity in response to force

In superconductors  $dv/dt \sim E$ , *i.e.*, motion is Newtonian!

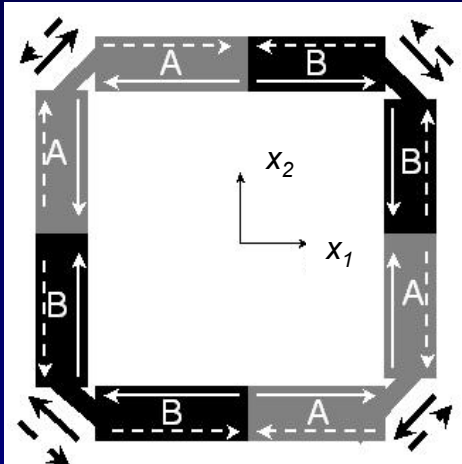
This difference has crucial consequences:

in S/C current response is greater by a factor  $(\omega\tau)^{-1} \sim 10^{10+}$ .

Ten or more orders of magnitude more than justify SC.

Price to pay: no negative masses for SC. Cooper pairs have positive mass.

# Next Step Forward



What if  $m_{\text{eff}}^A > m_{\text{eff}}^B > 0$ ?

Tidal force is  $\sim m_0$ .

Acceleration  $\sim m_{\text{eff}}^{-1}$ .

Torque  $\sim n^{A(B)}$ , density of carriers.

Subject to electroneutrality (which imposes  $n_A v_A = n_B v_B$ , at  $S = \text{const}$ ), the electric current is:

$$I = jS = en_S^A v_A S = e(n_S^A - n_S^B) \frac{m_0}{m_{\text{eff}}^A + m_{\text{eff}}^B} \frac{LS\omega h}{8}$$

Here  $L$  –side length of antenna,  $S$  is its cross section.

# *Estimates of Antenna Response*

At  $L=10^3\text{cm}$ ,  $S=10^2\text{cm}^2$  the resultant current is about femtoampere for a wave with amplitude  $h_0=10^{-26}$  and frequency  $100\text{ Hz}$ . It will be the same for a given value of  $\omega h_0$ . For example, at  $100\text{mHz}$ ,  $1\text{ fA}$  yields at  $h_0\sim 10^{-23}$ , etc.

This looks encouraging, however, there is still a problem we will address next.

# *Inductance (Magnetic Energy)*

$$E_{mag} \sim \mu_0 L I^2$$

$$E_{kin} = LS(n_S^A m_{eff}^A v_A^2 + n_S^B m_{eff}^B v_B^2)$$

if  $m_{eff} \sim m_0$ ,  $n_B \ll n_A$ , and  $n_B \sim 10^{22} \text{cm}^{-3}$  :

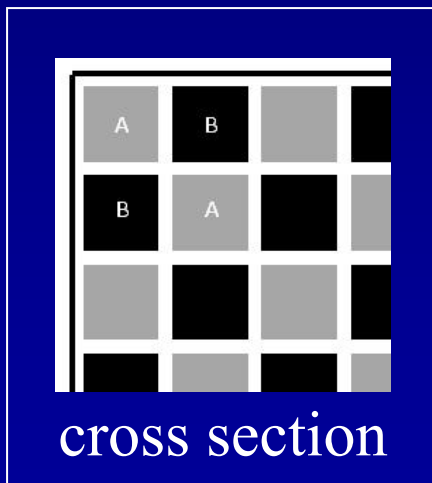
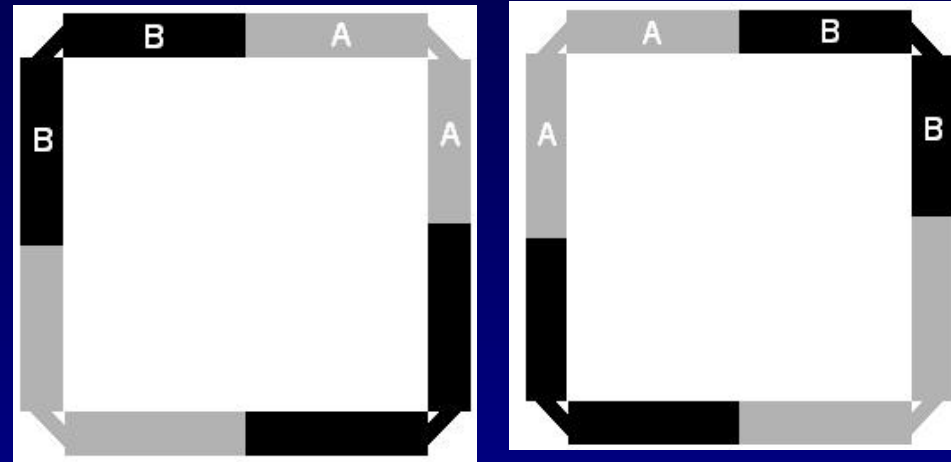
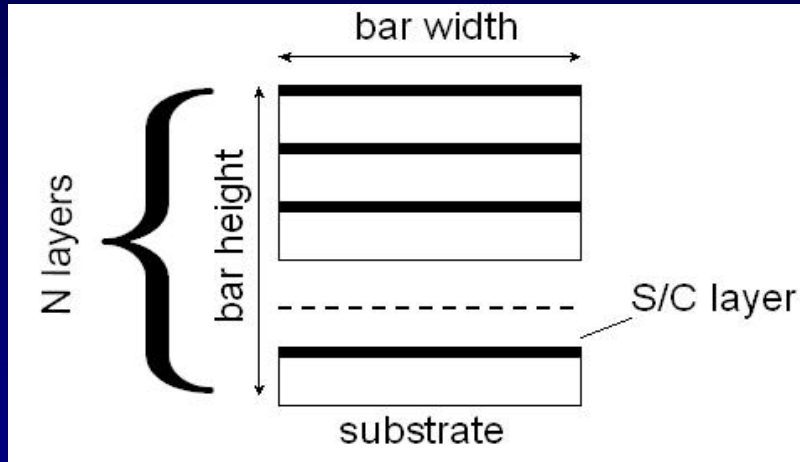
$$\frac{E_{mag}}{E_{kin}} \sim \mu_0 e^2 S \frac{n_S^B}{m_{eff}^B} \sim 10^{12}$$

**How to neutralize magnetic field?**



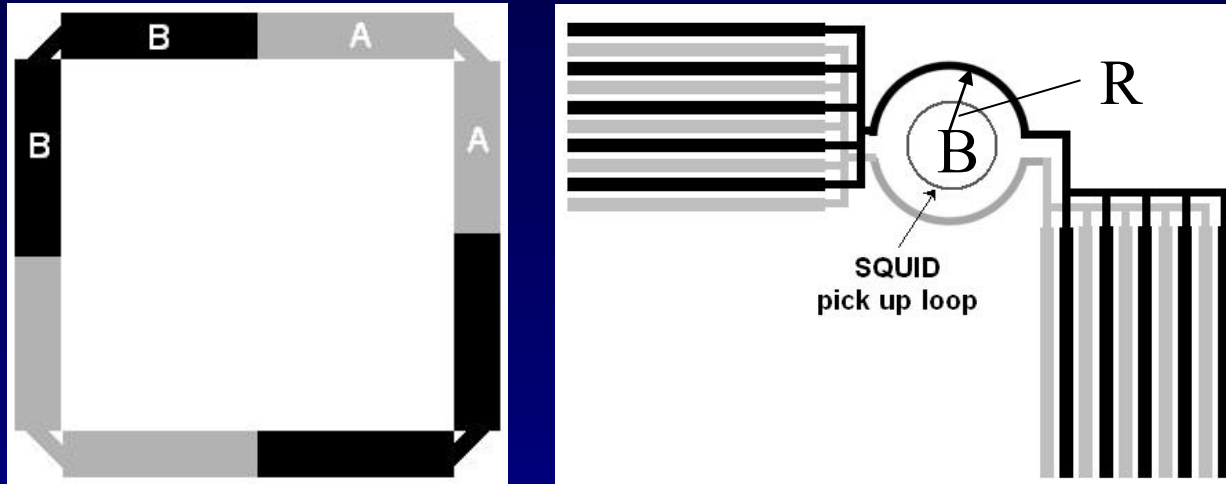
# “Spaghetti” Structure

layers with A and B swapped



- Currents move in opposite directions and cancel the magnetic field.
- The number of spaghetti depends on geometry; large but realistic.

# Readout



At  $I=1 \text{ fA}$  and  $R=5 \mu\text{m}$ ,  $\underline{B=\mu_0 I/(2R)\sim 10^{-16} \text{ T}}$ .

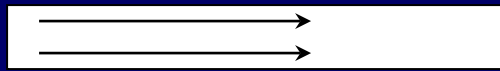
SQUID noise floor  $3fT/\text{Hz}^{1/2}$  :  $\underline{10^{-17} \text{ T}}$  /1 day of measurement.

Freedom to exploit, say,  $10$  SQUIDs for different groups of layers, and/or get to weaker GW source detection, and/or reduce the observation time.

# *Noise Floor of the Detector*

- Real noise floor of this antenna is due to normal resistance

$I_n, I_S$



$$\langle I_n^2 \rangle = 4(k_B T / R_n) \delta\nu$$

- Two notes are important here:
  - 1) at low  $T$  the normal fluid (and its influence) dies out exponentially;
  - 2) bandwidth  $\delta\nu$  can be made narrow for periodic signals (large integration time).

Our estimates indicate that achievable noise floor is about  $10 \text{ fA/Hz}^{1/2}$ , which inspires optimism.

# *Conclusions*

- We elaborated a novel concept of the GW antenna. We see no showstopper for this concept and would welcome experts opinion on its viability.
- Hopefully, in parallel to other large-scale efforts, such as the LIGO approach and LISA mission or NANO gravitational initiative, the suggested concept will become useful for one of the most challenging experiments – the detection of gravitational waves.
- We cannot build it, but NASA can!